3 pts

is transformed into turning the reel and moving the box.

solve for  $\omega$ , numerically

the original

and

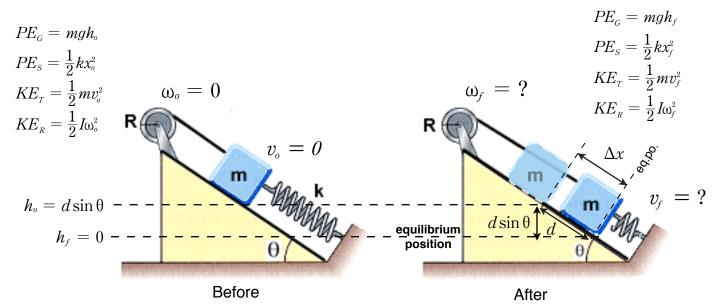
2 pts

The reel shown has radius R and moment of inertia I. One end of the block of mass m is connected to a spring of force constant k and the other end is fastened to a cord wrapped around the reel. The reel axle and the incline are frictionless. The reel is wound counterclockwise so that the spring stretches a distance d from its unstretched position and is then released from rest. (a) Find the angular speed of the reel when the spring is again unstretched. (Answer using theta for  $\theta$ , g for the acceleration due to gravity, and R, I, m, k, and d, as necessary.) (b) Evaluate the angular speed numerically at this point if

 $I = 1.10 \text{ kg} \cdot \text{m}^2$ , R = 0.300 m, k = 50.0 N/m, m = 0.500 kg, d = 0.200 m, and  $\theta = 37.0^{\circ}$ .  $PE_G = mgh_o$ Finish the Diagram. (10 pts)  $PE_S = \frac{1}{2}kx_o^2$  $KE_{\scriptscriptstyle T} = \frac{1}{2} m v_{\scriptscriptstyle o}^2$  $\omega_o = 0$  $KE_R = \frac{1}{2}I\omega_o^2$  $v_{o} = 0$ **Before** After Using the Conservation of Energy Energy Before Energy After =  $PE_G + PE_S + KE_T + KE_R = PE_G + PE_S + KE_T + KE_R$ 4 pts = What is k of a 3 pts v = rw $mgd\sin\theta + \frac{1}{2}kd^2 =$ spring? Graph Hooke's Law for this k?  $mgd\sin\theta + \frac{1}{2}kd^2 =$ 6 pts What is Hooke's Law?  $mgd\sin\theta + \frac{1}{2}kd^2 =$ 2 pts  $\omega_f =$ solve for  $\omega$ , symbolically

## Physics 195 Chapter 10 Problem 70

The reel shown has radius R and moment of inertia I. One end of the block of mass m is connected to a spring of force constant k and the other end is fastened to a cord wrapped around the reel. The reel axle and the incline are frictionless. The reel is wound counterclockwise so that the spring stretches a distance d from its unstretched position and is then released from rest. (a) Find the angular speed of the reel when the spring is again unstretched. (Answer using theta for  $\theta$ , g for the acceleration due to gravity, and R, I, m, k, and d, as necessary.) (b) Evaluate the angular speed numerically at this point if  $I = 1.10 \text{ kg} \cdot \text{m}^2$ , R = 0.300 m, K = 50.0 N/m, K = 0.500 kg, K = 0.200 m, and K = 0.200 m.



## **Using the Conservation of Energy**

Energy Before = Energy After

The spring is stretched, the block is higher, and has zero linear and angular velocity.

$$PE_G + PE_S + KE_T + KE_R = PE_G + PE_S + KE_T + KE_R$$

$$v_o = 0 \quad \omega_o = 0 \quad h_f = 0$$

$$x_f = 0$$

The spring is not stretched, the block is lower, and has both linear and angular velocity.

the box falls a distance 
$$d \sin \theta$$

$$mgh_o+rac{1}{2}kx_o^2+\phantom{-}0\phantom{+}+\phantom{-}0\phantom{-}=\phantom{-}0\phantom{+}+\phantom{-}0\phantom{+}+rac{1}{2}mv_f^2+rac{1}{2}I\omega_f^2$$
 ravels  $mgd\sin\theta+rac{1}{2}kd^2=rac{1}{2}m(r\omega_f)^2+rac{1}{2}I\omega_f^2$   $v=rw$ 

the spring travels a distance d.

$$mgd\sin\theta + \frac{1}{2}kd^2 = \frac{1}{2}(mr^2)\omega_f^2 + \frac{1}{2}I\omega_f^2$$

What is k of a spring?

Spring Constant

What is
Hooke's Law?

F = kx

$$mgd\sin\theta + \frac{1}{2}kd^2 = \frac{1}{2}\omega_f^2(mr^2 + I)$$
 solve for  $\omega$ 

$$\omega_{f} = \sqrt{\frac{2mgd\sin\theta + kd^{2}}{(mr^{2} + \hbar)}}$$

$$\omega_{_{\!f}} = \sqrt{rac{2\,(0.5kg)\,9.8m/\!s^2\,(0.2m)\sin37^\circ + 50Nm\,(0.2m)^2}{0.5kg\,(0.3m)^2 + \,1.00kg\cdot m^2}} = \boxed{1.75rac{rads}{\sec}\,\,\mathsf{cw}}$$

the original  $PE_G$  and  $PE_S$  is transformed into turning the reel and moving the box.

3 sig figs